



كلية تقنية كركوك
هندسة البيئة والتلوث



وزارة التعليم العالي والبحث العلمي
الجامعة التقنية الشمالية

الحقيبة الدراسية

- المادة الدراسية / Matlab
- عدد الساعات / (١) نظري + (٢) عملي
- لغة التدريس / الانكليزية .
- طبيعة المادة / سنوية .
- عدد الاسابيع / (30) اسبوع .
- الفئة المستهدفة / طلبة المرحلة الثالثة.

اهداف المادة: في نهاية الدورة يكون الطالب قادرا على:

١- تحديد استخدام البرامج الحاسوبية لكتابة البرنامج الأساسي.

٢-توظيف برنامج كمبيوتر لحل مشكلة الطريقة العددية

٣- تحديد كفاءة إنشاء برنامج حاسوبي لحل مسائل المعادلات التفاضلية العادية والمعادلات التفاضلية الجزئية والتحسين.

• الوحدة النمطية / (كل وحدة نمطية تمثل مفردة اسبوع دراسي واحد) .

• المدرس القائم بالتدريس / م.م سري عبدالرزاق صالح

Chemistry

| Week No. | Items Detail |
|-------------|---|
| 1 , 2 | Introduction Environment of MATLAB |
| 3 , 4 | Arithmetic Expressions Mathematical functions, Logical Operators, Relational Operators. |
| 5 , 6 | Vectors and Matrices Matrix operations , transpose and inverse of matrix. |
| 7 , 8 | Working with polynomials (manipulating polynomials, derivatives roots, eigen values) |
| 9 , 10 , 11 | Solve System of Linear Equations by Gauss Elimination Method M-File Create M-file, function calling in MATLAB |
| 12 , 13 | Programming with MATLAB, Use of Built-in Functions, Input Output, Structured Programming, Nesting and Indentation |
| 14 , 15 | Graphic Plot Graphics two-dimensions plots, Log-log and semi-log plots, Histograms plots. |

| | |
|--------------|--|
| | Linear Regression, Curve fitting techniques |
| 16 , 17 | Conditions and Loops Statements Functions in MATLAB if, else, else if, while, for, switch, break Loop function: for-next ,...do-while...end |
| 18 , 19 , 20 | Roots Finding of Nonlinear Equations : Bisection ,Regula-false methods, Newton Raphson method |
| 21 , 22 | Numerical Integration by Trapezoidal Rule, Simpson's Rule |
| 23 , 24 | Applications One and Two dimension Intropolation by algebraic polynomials Roots Finding of Nonlinear Equations : Bisection ,Regula-false methods, Newton Raphson method |
| 25 , 26 | Numerical Integration by Trapezoidal Rule, Simpson's Rule Numerical Solutions of ODEs using Euler Method, Modified Euler Method , Runge Kutta Method |
| 27 , 28 | Calculate the Laplace Transform and Inverse Laplace Transform |
| 29 , 30 | What is the Optimization Toolbox?, Unconstrained and constrained Optimization , Multi-objective optimization, Large scale Algorithms |

- MATLAB: It is a very useful engineering program especially in the analysis and design of electronic and industrial systems and simulation using the computer. The word Matt Lab came from the initials of the term (Matrix Laboratory). It includes a huge library of tools used in many fields such as signal processing, image processing, robotics, and more.
- Definition of program designers

The program was designed by two people: Cliff Muller, a professor of mathematics, and Jack Little, a computer science professor with a bachelor's degree in electrical engineering for over 20 years at Michigan University, Stanford University and the University of New Mexico. they spend five years in the (Intel Hypercube organization) and (Ardent computer) factories before moving to the parent company of the MATLAB program.

- Matt Lab Applications
 - Using in Control System.
 - Using Digital Signal Processing.
 - Using in Mechanical Applications
 - Using in Radar Applications
 - Using in Electronics Applications
 - Using in Automotive Applications.
 - Using in Communication Applications.

- properties

- 1- MATLAB platform is designed to solve engineering and scientific problems in an easy way for the user
- 2- Matrix-based MATLAB is the best way to express computational mathematics
- 3- Integrated graphics make it easy to visualize and gain insights from the data.
- 4- An extensive library of pre-integrated toolboxes that allows you to immediately start using the necessary algorithms for your domain.
- 5- Desktop contains tools for quick access. Easier for the user

6-MATLAB tools and capabilities are all thoroughly tested and designed to work together.

7- MATLAB helps you take your ideas off your desktop

8- You can analyze a large, large-scale data set.

9- MATLAB codes can be integrated with other languages, allowing you to deploy algorithms and applications within web, enterprise and production systems.

- Configure the program

- 1- The language: Matlab This is a high-level language for arrays.

- 2- MATLAB Work Environment: Includes MATLAB users or programmers and also includes tools for development, management and applications of MATLAB.

- 3- Graphics: Matlab includes high-level commands for 2D and 3D data visualization, and image processing.

- 4- Matlab Library: A wide range of mathematical functions such as (sin,log....)

- 5- The possibility of linking Matlab with programming languages such as C and Java.

- When you start MATLAB, the desktop appears in its default layout. shown fig (1)

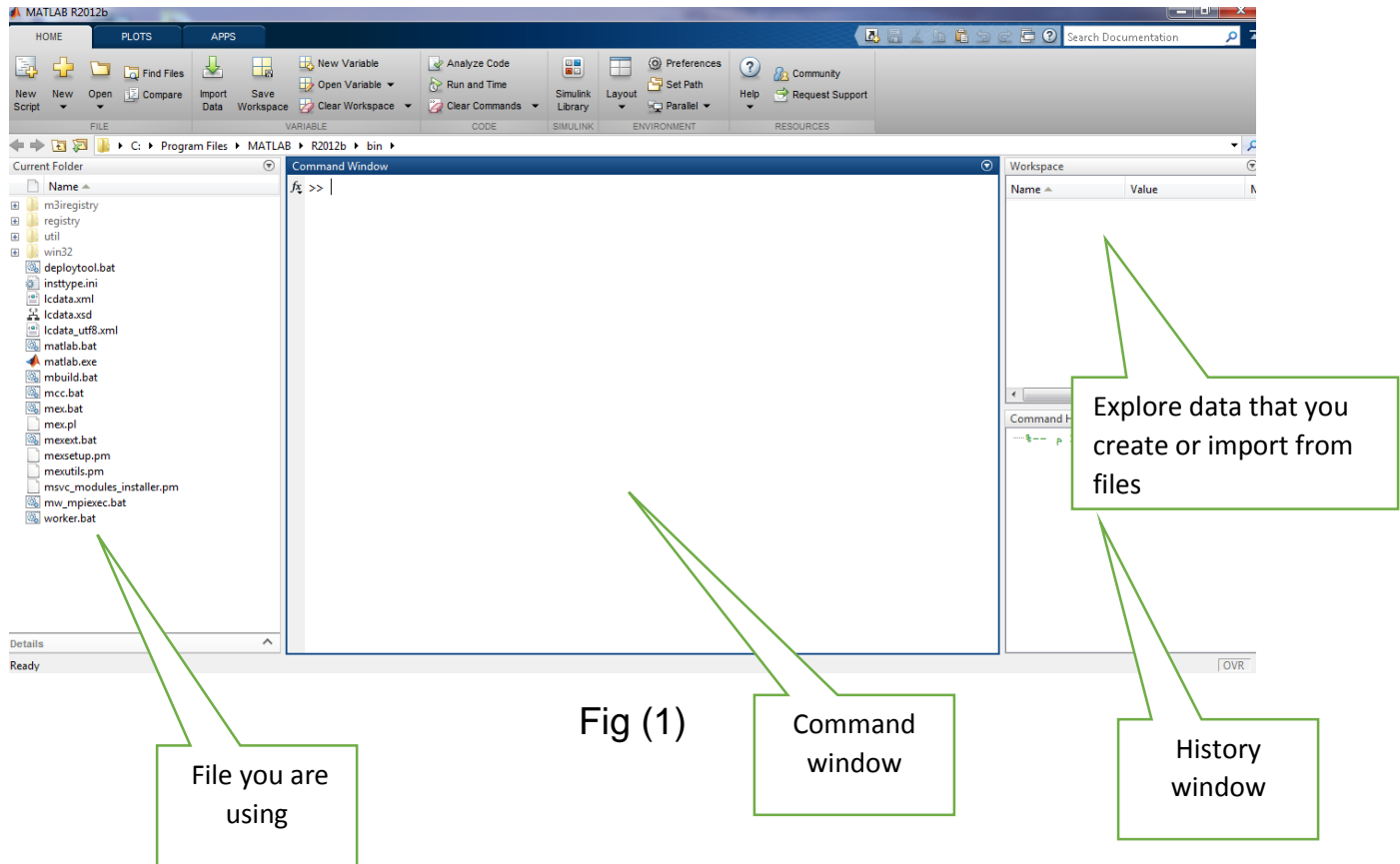


Fig (1)

- command window
The main window of the program where the instructions are written directly. It has several functions:-
 - 1- View the help texts included with the functions provided by the program or general assistance.
 - 2- View results.
 - 3- See the work path and change it programmatically.
 - 4- View the contents of the work field and the value of the variables and delete them as necessary.
 - 5- Open subsections of the program such as (Simulink.. , demo).
- WorkSpace window
In this window, the names of the variables declared and their values are shown.

It benefits from avoiding the return of the same values for the variable and when you close the program is erased data, as well as data is deleted programmatically using clear.

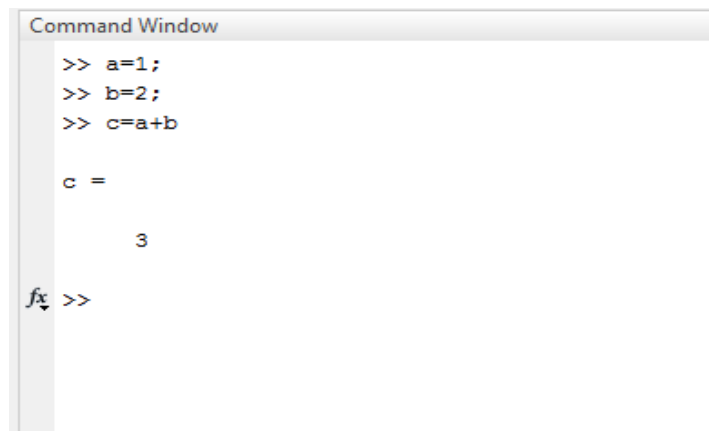
- History window

In this window registration all orders executed at in time and date

One of its benefits is to facilitate the reactivation of the command using the arrow keys on the keyboard.

** Using command window

- To insert notes in window command can use (%)
- Mathematical functions.
Ex1\ find summation $1+2$? Shown fig (2)



```

Command Window
>> a=1;
>> b=2;
>> c=a+b

c =

     3

fx >>
  
```

Fig(2)

- Important Command
 - 1- CLC: clear window command just without delete
 - 2- Clear: delete all data in window command

EX2\find($8*7$, $200-50$, $9/3$, 6^5) ?shown fig(3)

```
Command Window
>> a=7;b=8;c=200;d=50;e=9;f=3;g=6;h=5;
>> a1=a+b
a1 =
    15
>> c1=c-d
c1 =
    150
>> e1=e/f
e1 =
     3
>> g1=g^h
g1 =
    7776
fx >> |
```

Fig(3)

- Another method to write command in fig (4)


```
Command Window
>> a=3;
>> c=a+3

c =

     6

>> b=2+3

b =

     5

>> 2+3

ans =

     5

fx >>
```

Fig (4)

EX3\ find $\cos(30)$, $\cos^{-1}(0.8660)$, $\sec(60)$, $\text{abs}(-9)$? shown fig(5)

```
Command Window
>> cosd(30)

ans =

    0.8660

>> acosd(0.8660)

ans =

    30.0029

>> sec(60)

ans =

   -1.0500

>> abs(-9)

ans =

     9

fx >>
```

Fig(5)

- Priority in calculations shown fig(6). Start from left to right

| | |
|-----|---|
| () | 1 |
| ^ | 2 |
| * | 3 |
| / | 4 |
| + | 5 |
| - | 6 |

Fig(6)

Ex4\ find $8+6*(10+5)/3-5$? shown fig(7)

```

Command Window
>> clear
>> 8+6*(10+5)/3-5

ans =

    33

```

Fig(7)

- Logical Operators: shown table 1

Table1

| Inputs | | and | or | xor | not |
|--------|---|-----|-----|----------|-----|
| A | B | A&B | A B | xor(A,B) | ~A |
| 0 | 0 | 0 | 0 | 0 | 1 |
| 0 | 1 | 0 | 1 | 1 | 1 |
| 1 | 0 | 0 | 1 | 1 | 0 |
| 1 | 1 | 1 | 1 | 0 | 0 |

Ex5\find (1and1),(1or 0), (0 xor 0),(1 not)?shown fig (8)

```
Command Window
>> 1&1
ans =
     1
>> 1|0
ans =
     1
>> xor(1,0)
ans =
     1
>> ~1
ans =
     0
```

Fig(8)

EX6\find (1 or 0 and 0)?shown fig(9)

```
Command Window
>> 1|0&0
ans =
     1
>> 1|(0&0)
ans =
     1
>> (1|0)&0
ans =
     0
```

Fig(9)

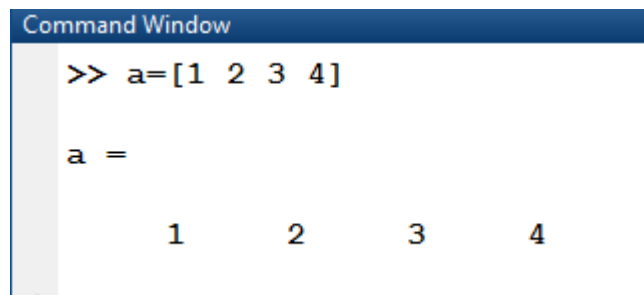
- Relation Operators. Shown table(2)

Table2

| | | |
|------------|---------------------|--|
| $A < B$ | B is bigger | |
| $A > B$ | A is bigger | |
| $A \leq B$ | B bigger or equal A | |
| $A \geq B$ | A bigger or equal B | |
| $A == B$ | A equal B | |
| $A \neq B$ | A not equal B | |

- Matrices and Arrays: which viewer data as rows and columns.

Ex7\ a= 1,2,3,4 .find arrays 1*4.shown fig(10)



```

Command Window
>> a=[1 2 3 4]

a =

     1     2     3     4

```

Fig(10)

EX8\ create a matrix 3*3, a=[1 2 3;4 5 6;7 8 9]shown fig(11)

```
>> a=[1 2 3;4 5 6;7 8 9]
a =
     1     2     3
     4     5     6
     7     8     9
```

Fig(11)

- Another way to create a matrix,(zeros, ones, rand)

Ex9\ create a 5-by-1 column vector of zeros. Shown fig (12)

Command Window

```
>> z = zeros(5,1)
z =
     0
     0
     0
     0
     0
```

```
>> z = ones(5,1)
z =
     1
     1
     1
     1
     1
```

```
>> z = rand(5,1)
z =
    0.8147
    0.9058
    0.1270
    0.9134
    0.6324
```

Random

Fig (12)

- Matrix and Array Operations

EX10\ summation

```
Command Window
>> a=5;b=[1 2 3; 4 5 6;7 8 9];
>> a+b
ans =
     6     7     8
     9    10    11
    12    13    14
```

Fig (13)

EX11\ transpose a matrix. Fig (14)

```

>> c
c =
     6     7     8
     9    10    11
    12    13    14

>> c'
ans =
     6     9    12
     7    10    13
     8    11    14

```

Change columns and rows place

Fig(14)

EX12\ Multiplication $a*a$, $a.a$, $a=[1\ 2\ 3;4\ 5\ 6;7\ 8\ 9]$,fig(15)

```

Command Window
>> a=[1 2 3;4 5 6;7 8 9];
>> a.*a
ans =
     1     4     9
    16    25    36
    49    64    81

>> a*a
ans =
    30    36    42
    66    81    96
   102   126   150

```

Dot multiplication

Fig(15)

Ex13\ find determine matrix $[1\ 2\ 3; 4\ 5\ 6;7\ 8\ 9]$

```

Command Window
>> a=[1 2 3;4 5 6;7 8 9];
>> det(a)
ans =
     6.6613e-16

```

Fig (16)

- Real& imaginer

Ex14\ a=3+5i,b=8+2i,find [a+b , a*b , a-b , a/b]

```
Command Window
>> a=3+5i;b=8+2i;
>> a+b

ans =

    11.0000 + 7.0000i

>> a*b

ans =

    14.0000 +46.0000i

>> a-b

ans =

    -5.0000 + 3.0000i

>> a/b

ans =

    0.5000 + 0.5000i
fx
```

- Insert text
Ex 1\ Insert 'hallo'.fig(1)

```
Command Window
>> 'hallo'
ans =
hallo
```

Fig(1)

- Ex2\ insert text with number .fig(2)

```
>> f = 71;
c = (f-32)/1.8;
tempText = ['Temperature is ', num2str(c), 'C']

tempText =

Temperature is 21.6667C
```

Fig(2)

- Polynomials

- Ex3\ represent $c = X^4 - 3x^2 + 2$.

```
>> c=[1,0,-3,0,2]

c =

    1     0    -3     0     2
```

Fig(3)

- Ex4\ find $b(x) = x^2 + 5x + 3$, if $x = 5$.


```
>> x=5;
>> b=x^2 +5*x+3

b =

    53
```

Fig(4)

- Polynomials roots

Ex5\ find roots $c(x)=x^2-5$

```
>> c=[1,0,-25];
>> roots (c)

ans =

     5
    -5
```

Fig(5)

Ex6\ find roots $b(x)=x^2-5x+6$

```
>> b=[1,5,6];
>> roots (b)

ans =

   -3.0000
   -2.0000
```

Fig(6)

Ex7\find roots $c(x)=2x^2+7x+6$

```

Command Window
>> c=[2,7,6];
>> roots(c)

ans =

    -2.0000
    -1.5000

```

Fig(7)

Ex 8\find roots $b(x) = 4x^2 - 24x + 35$.(destor)

```

>> b=[4,-24,35];
>> roots(b)

ans =

    3.5000
    2.5000

```

fig(8)

- polynomials derivatives

Ex9\find derivative $c(x) = x^3 - 4x + 10$

```

Command Window
>> c=[1 0 -4 10];
>> polyder(c)

ans =

     3     0    -4

```

Fig(9)

- polynomials multiplication

EX10\ find convolution $c(x)=x+3$, $b(x)=x+2$

```
Command Window
>> clear
>> b=[1 2];c=[1 3];
>> x=conv(b,c)

x =

     1     5     6
```

Fig(10)

Ex11\ find convolution $c(x)=x^2-2x+10$, $b(x)=2x^2+4x+7$

```
>> b=[2,4,7];c=[1,-2,10];
>> x=conv(b,c)

x =

     2     0    19    26    70
```

Fig(11)

- Polynomials division

Ex12\divide two Polynomials $c(x)=3x^2-2x+4$ $b(x)=x^2+7$.

```
>> c=[3,-2,4];b=[1,0,7];
>> [c,b]=deconv(c,b)

c =

     3

b =

     0    -2   -17
```

Fig(12)

- Solve liner equation in Matlab

EX13\Find x,y if

$$x+3y=4$$

$$2x+4y=5$$

```
Command Window
>> a=[1 3; 2 4];
>> b=[4;5];
>> c=inv(a)*b

c =

    -0.5000
     1.5000
```

Fig(13)

Ex14\ Find x,y,z .if

$$3y+2x+z=11$$

$$x+3y+z=10$$

$$2x+7z+5y=33$$

```
>> a=[3 2 1; 1 3 1; 2 5 7];
>> b=[11;10;33];
>> c=inv(a)*b

c =

    1.4324
    1.8649
    2.9730
```

Fig(14)

- Eigenvalue

Ex15\Find Eigenvalue if matrix is

$$A = \begin{bmatrix} 2 & 0 & 1 \\ -1 & 4 & -1 \\ -1 & 2 & 0 \end{bmatrix}$$

```
Command Window
>> clear
>> a=[2 0 1;-1 4 -1;-1 2 0];
>> lambda = eig(a)

lambda =

    3.0000
    2.0000
    1.0000
```

Fig(15)

- Gauss Elimination

EX16\Find x,y .using Gauss Elimination ,if

$$x+3y=4$$

$$2x+4y=5$$

```
>> a=[1 3;2 4];
>> b=[4;5];
>> a\b

ans =

   -0.5000
    1.5000
```

Fig(16)

EX17\ Find x,y,z . using Gauss Elimination ,if

$$3y+2x+z=11$$

$$x+3y+z=10$$

$$2x+7z+5y=33$$

$$2x+y+z=7$$

```
>> a=[3 2 1;1 3 1;2 5 7; 2 1 1];
```

```
>> b=[11;10;33;7];
```

```
>> a\b
```

```
ans =
```

```
1.2683
```

```
1.9712
```

```
2.9387
```

Fig(17)

- Great M-file in Matlab .shown fig(1)

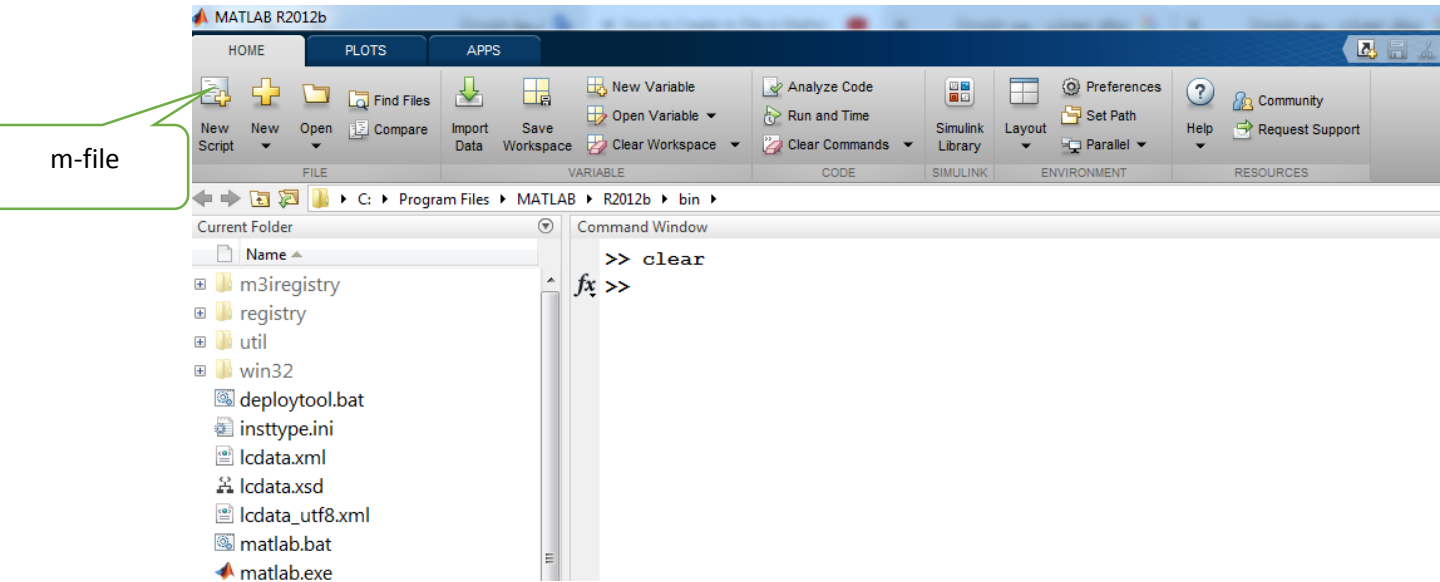
M-file: It is a code prepared previously perform various functions and each function has its own name does not resemble others. There are two types of functions :

1- Functions that are written by ourselves and stored with a specific name for later use. But the following should be considered:

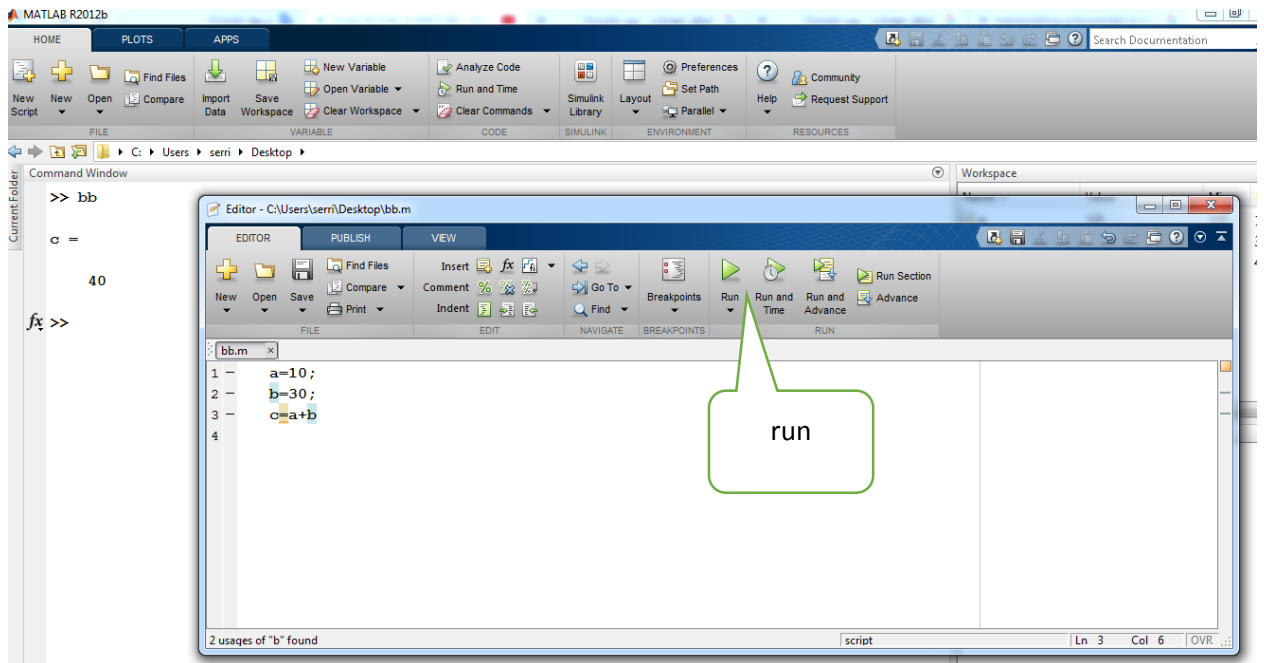
- The function name in the function definition is the same as the function is saved.
- The function name is composed of a single section that is not separated by a space.
- The name must not exceed 31 characters.
- The function name starts with a letter and can be followed by a symbol.

If needed the function can call it by typing its name or playing it directly from Run in the file screen.

2- The second type is functions stored in the MATLAB program and are prepared by the software manufacturer. We can use it directly without having to know the code in it



Fig(1)



Fig(2) window editor

Ex1\find circle area = $\pi*r^2$.by use m-file.fig(3)

The screenshot shows the MATLAB Command Window on the left and the Editor on the right. The Command Window displays the following interaction:

```
>> bb
enter r valu : 5
       78.5000
fx >>
```

The Editor shows the script 'bb.m' with the following code:

```
1 - r=input( 'enter r valu : ' );
2 - pi=3.14;
3 - c=pi*(r^2);
4 - disp(c)
5
6
```

Fig(3)

Ex2\find $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$.use m-file.fig(4)

The screenshot shows the MATLAB Command Window on the left and the Editor on the right. The Command Window displays the following interaction:

```
>> bb
enter a value : 4
enter b value : 3
enter c value : 5
      -0.3750 + 1.0533i
      -0.3750 + 1.0533i
fx >>
```

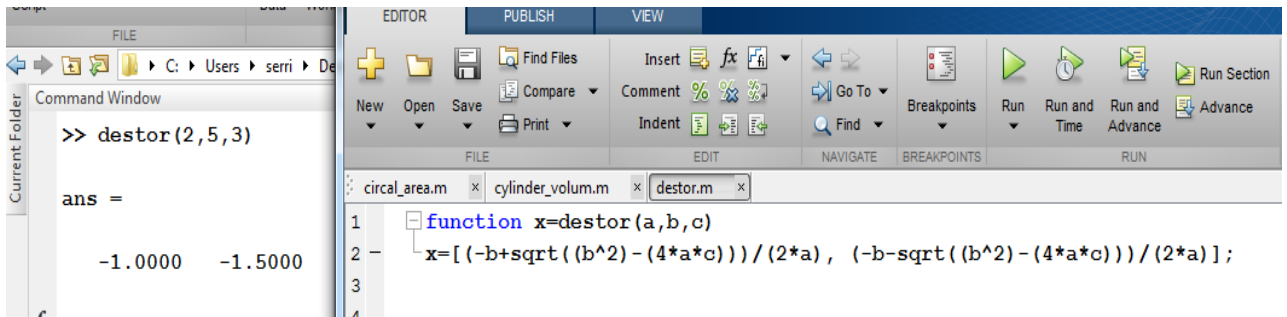
The Editor shows the script 'bb.m' with the following code:

```
1 - a=input( 'enter a value : ' );
2 - b=input('enter b value : ');
3 - c=input('enter c value : ');
4
5 - x1= (-b+sqrt((b^2)-4*a*c))/(2*a);
6 - x2= (-b+sqrt((b^2)-4*a*c))/(2*a);
7 - disp(x1)
8 - disp(x2)
9
```

Fig(4)

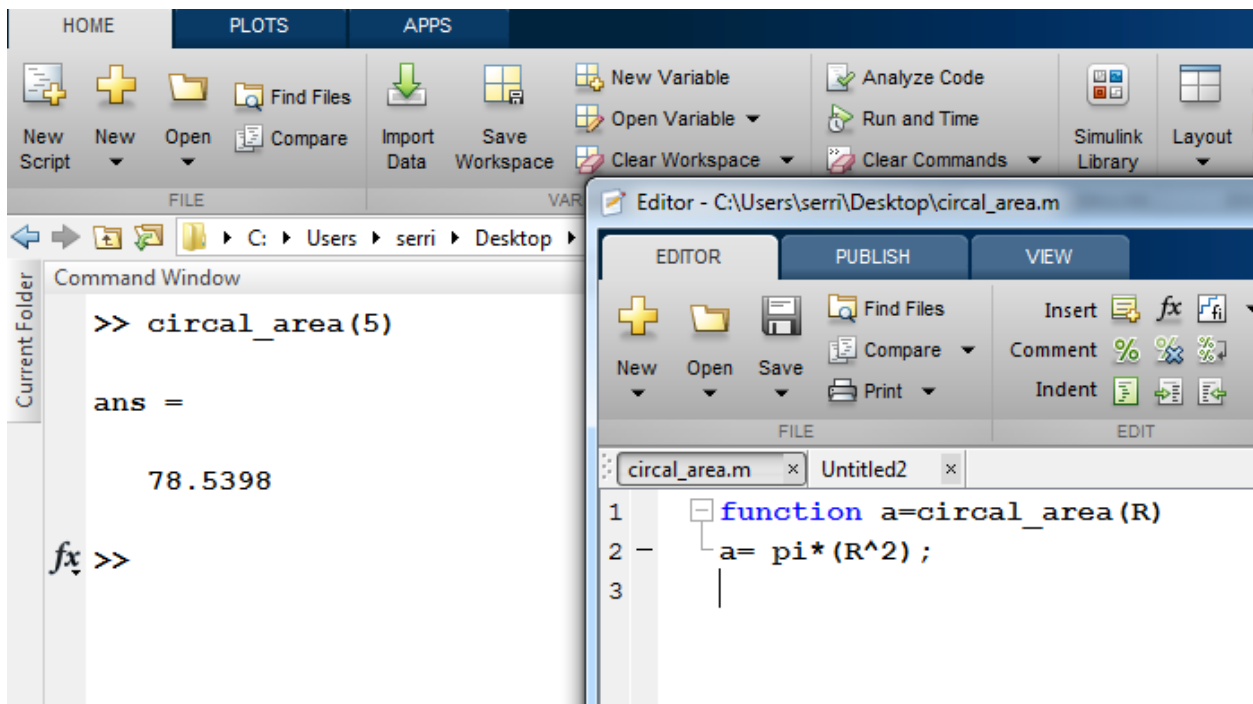
- Great function

Ex3\find $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$.using function.shown fig(5)



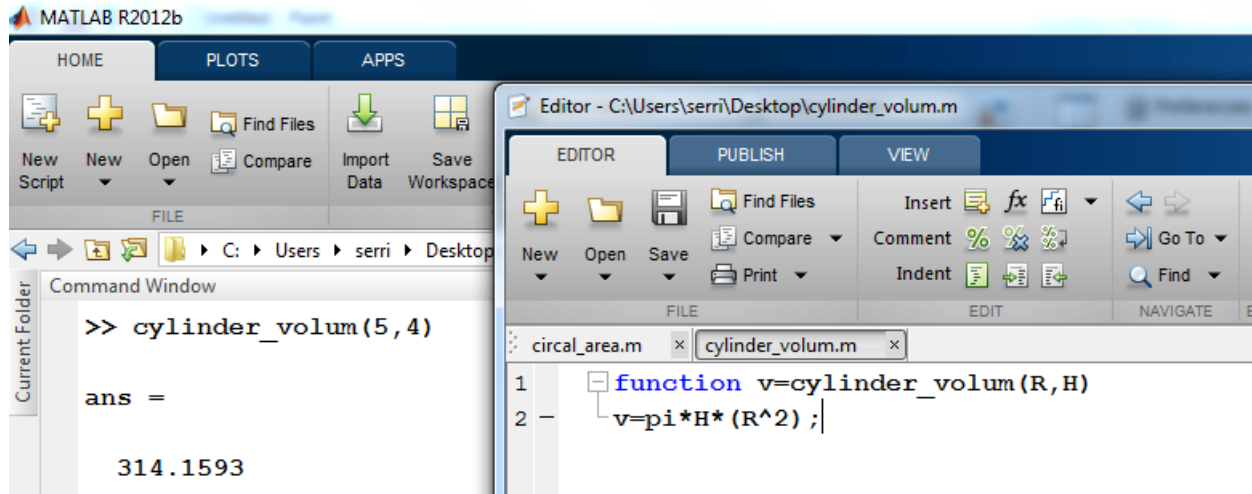
Fig(5)

Ex4\find circle area .using function . shown fig(6)



Fig(6)

Ex5\find cylinder volum .using function. shown fig(7)

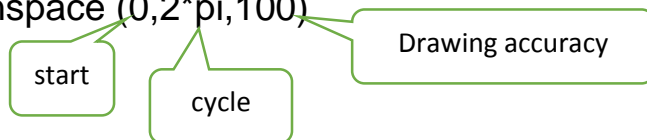


Fig(7)

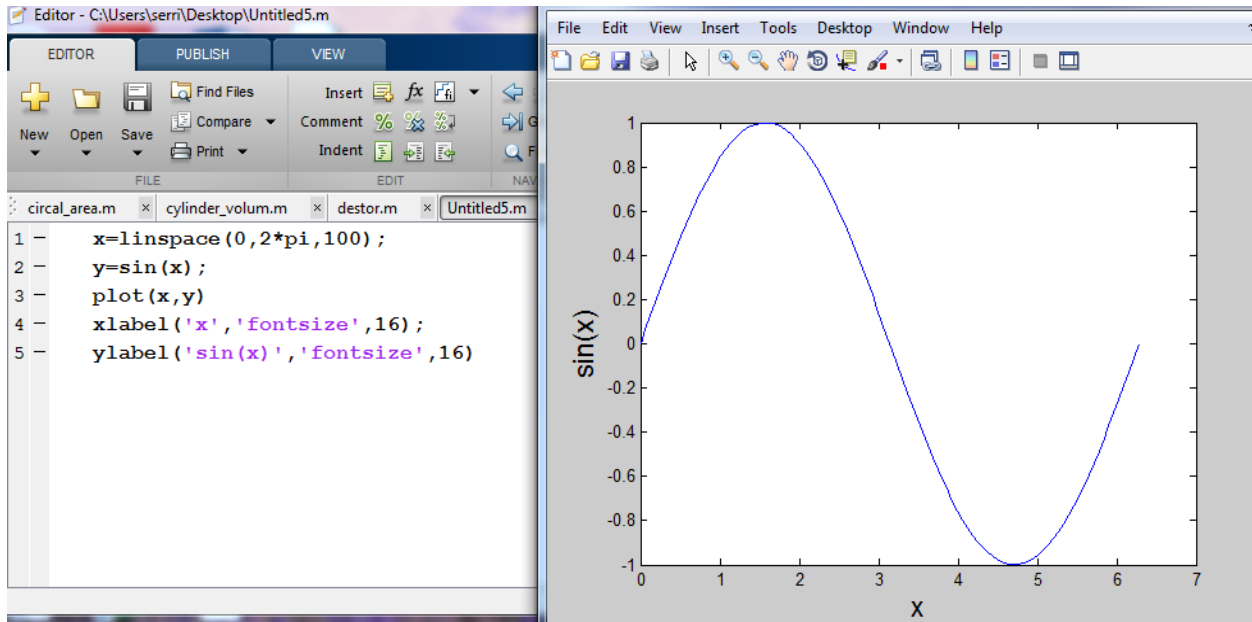
- Graphic plot

Matlab has a great ability to display vectors, arrays and functions as graphs, It can also draw three-dimensional shapes in addition to moving these graphical shapes and this in addition to the possibility of inserting any text comments and change the colour of the line and label axes and label variables

- `Linspace(0,2*pi,100)`

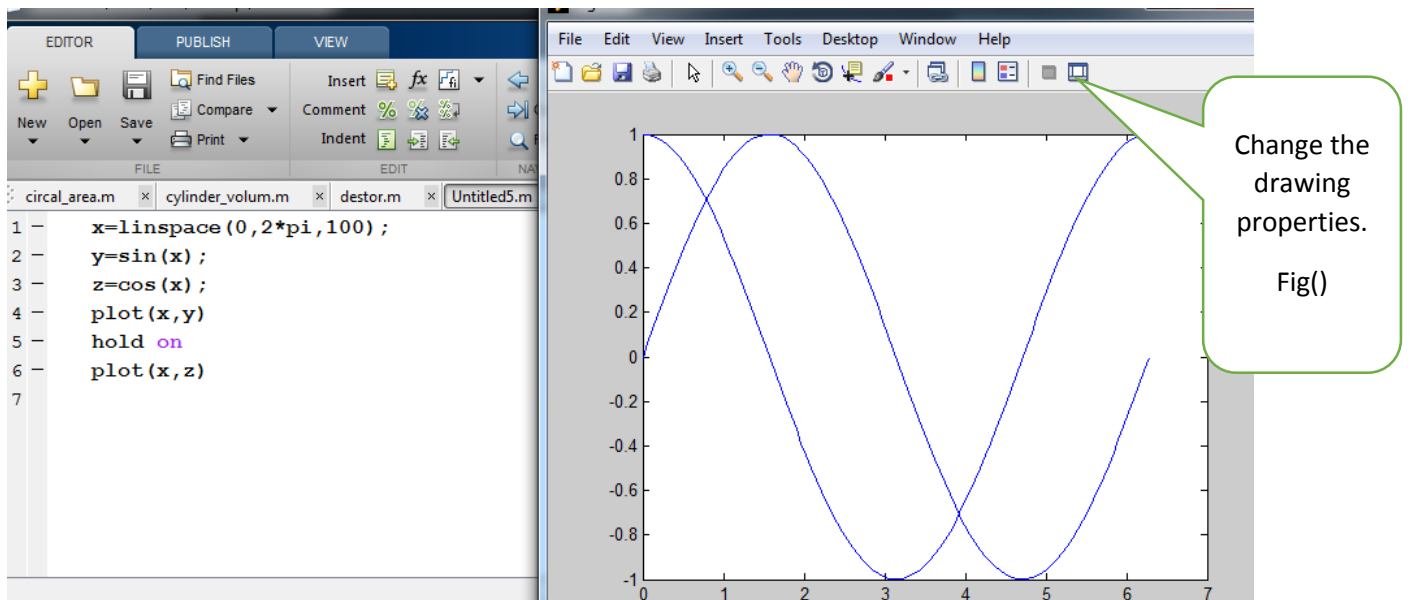


Ex6\ find graphic two-dimension for $\sin(x)$. shown fig(8)

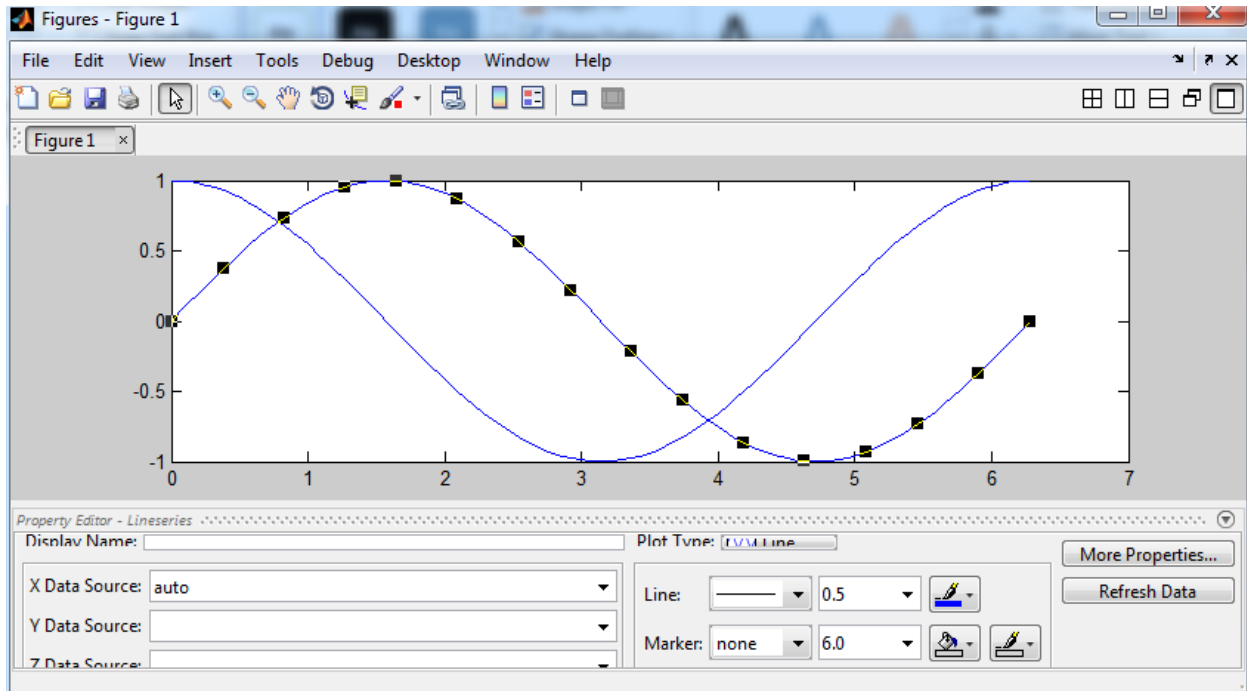


Fig(8)

Ex7\ find graphic two-dimension for $\sin(x), \cos(x)$ together. shown fig(9-10)

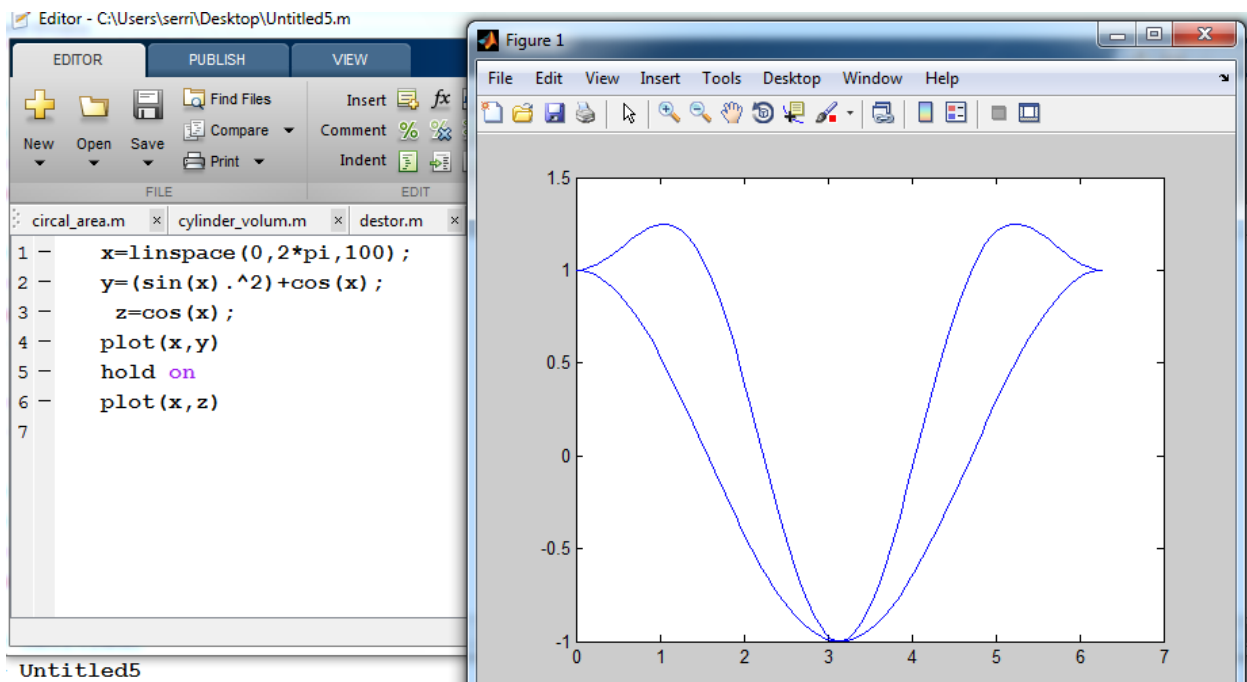


Fig(9)



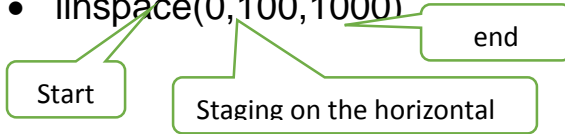
Fig(10)

Ex8\ find graphic two-dimension for $\sin^2(x)+\cos(x)$, $\cos(x)$ together. shown fig(11)



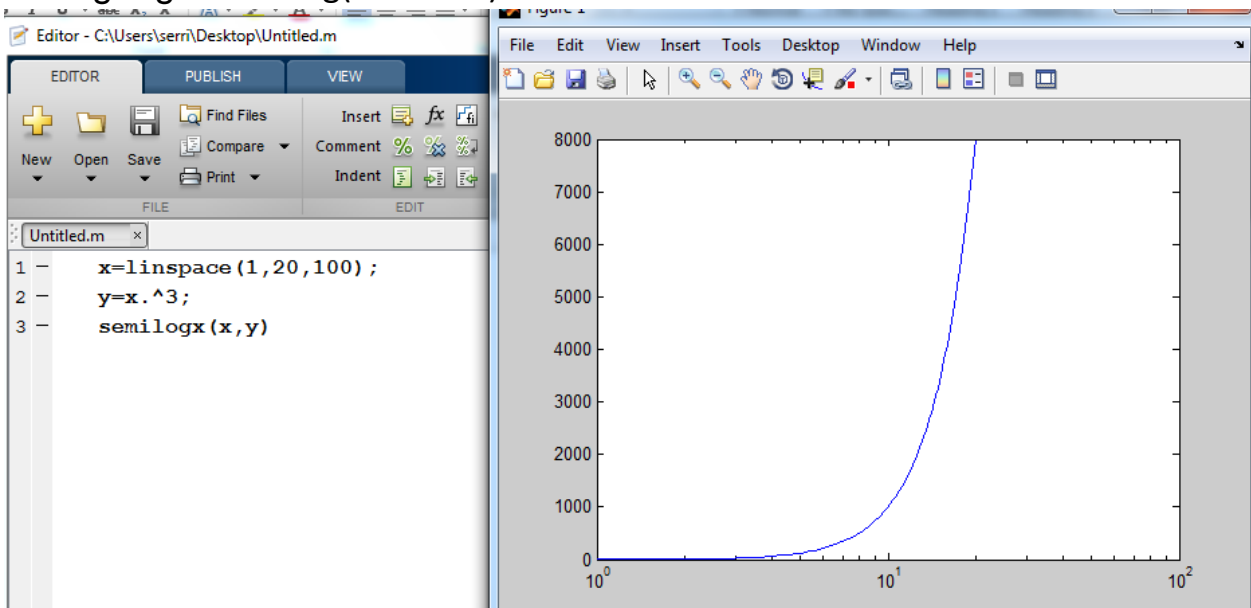
Fig(11)

- Plotting log-log & semi log
- `linspace(0,100,1000)`

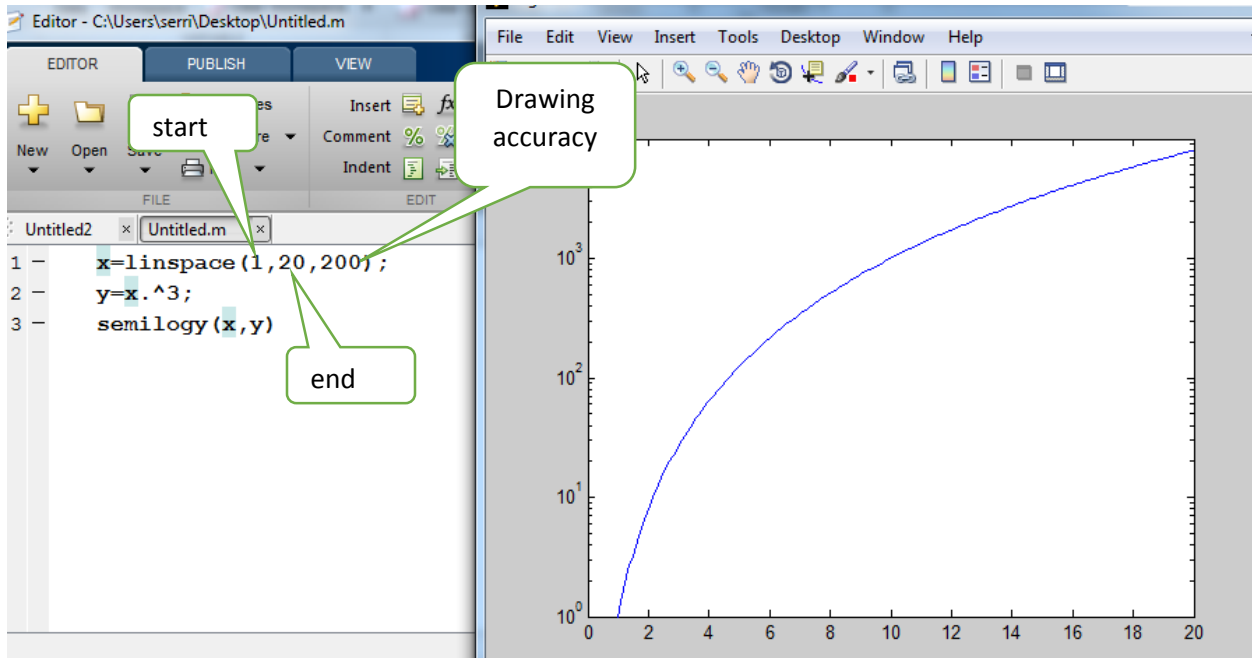


- `semilogx(x,y)`: The graphic is toward the horizontal axis.
- `semilogy(x,y)`: The graphic is towards the vertical axis.

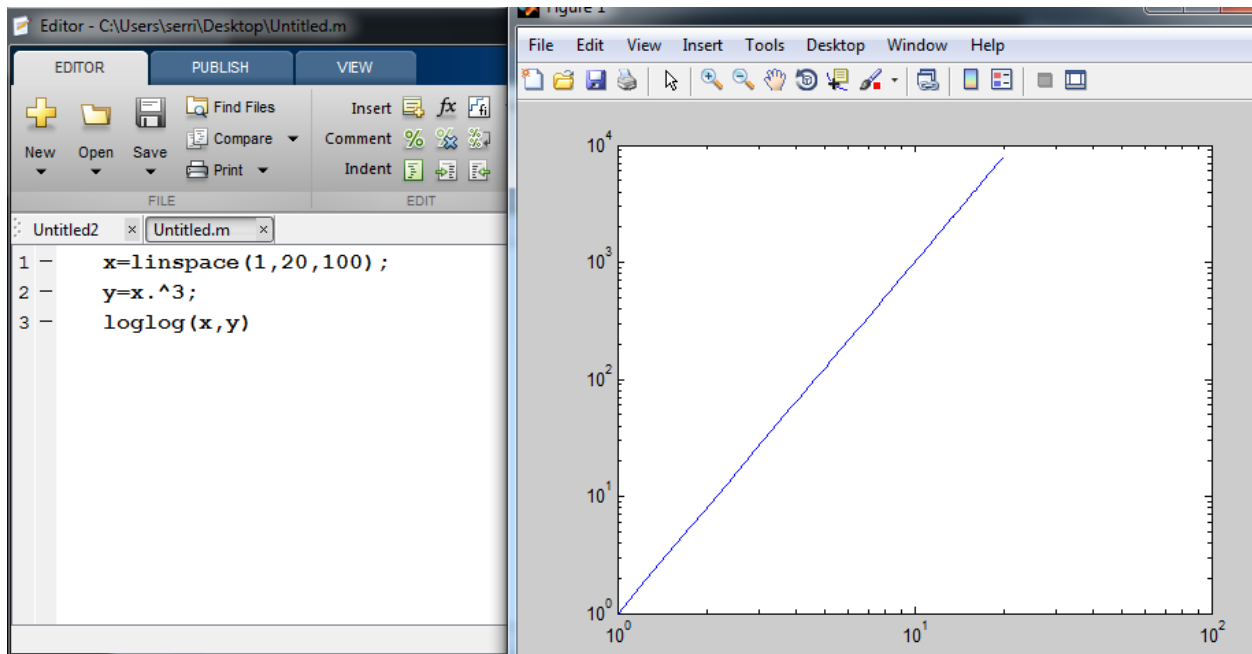
Ex9\plot X^3 toward the horizontal axis & vertical axis. Using `semilog` & `log-log`. shown fig(13-14-15)



Fig(12)



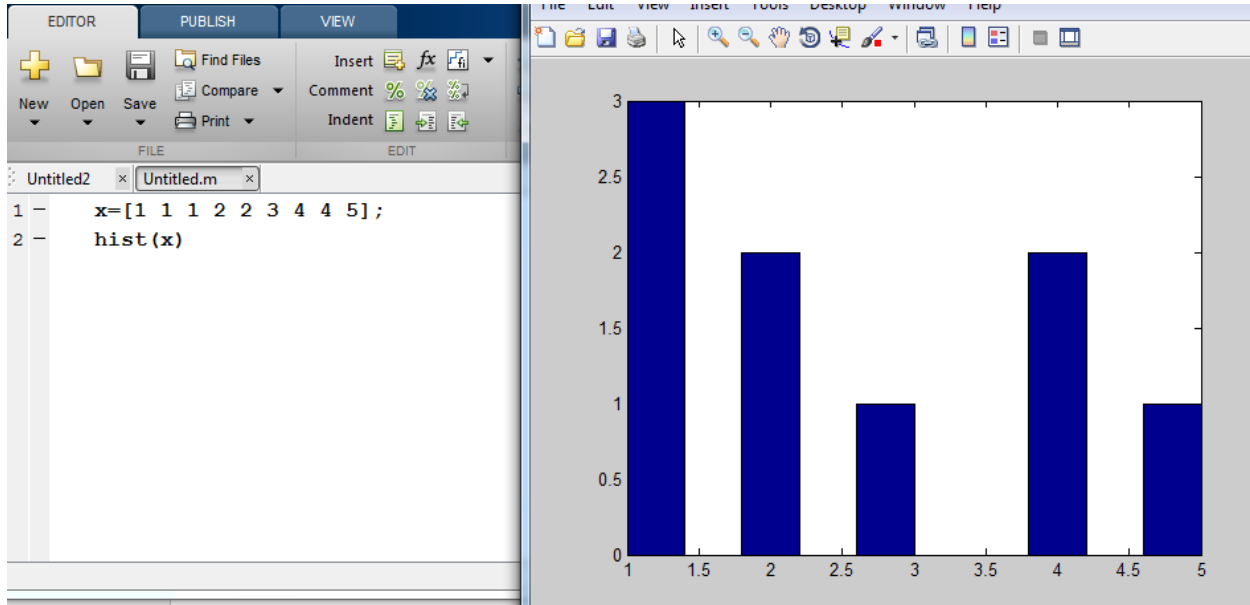
Fig(13)



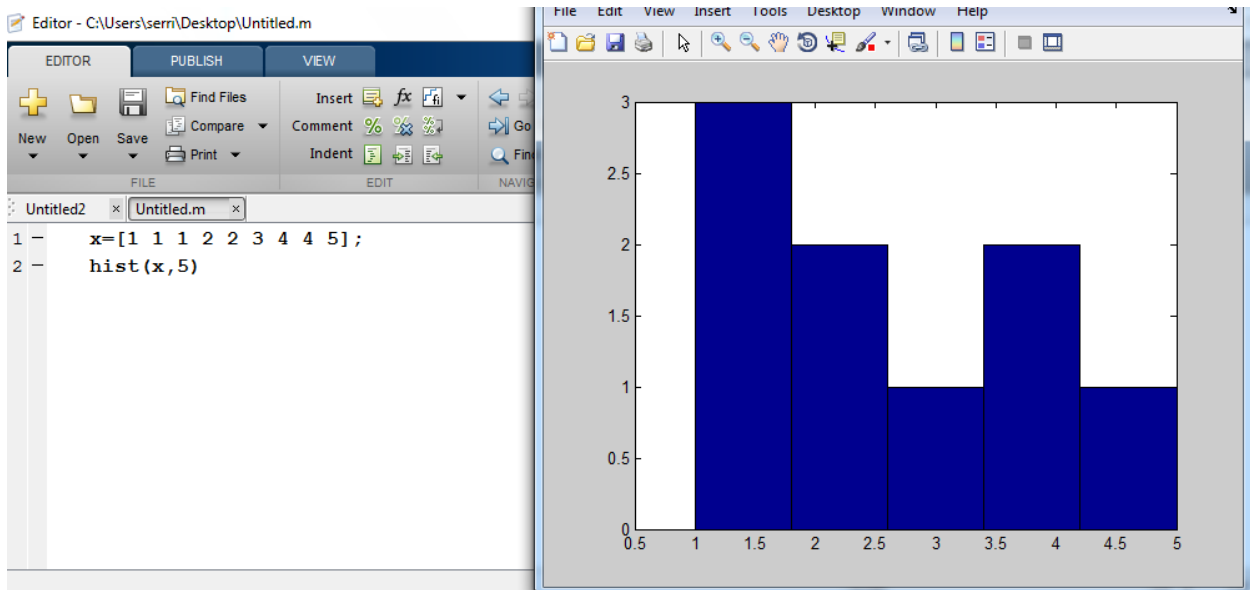
Fig(14)

- Histograms plots

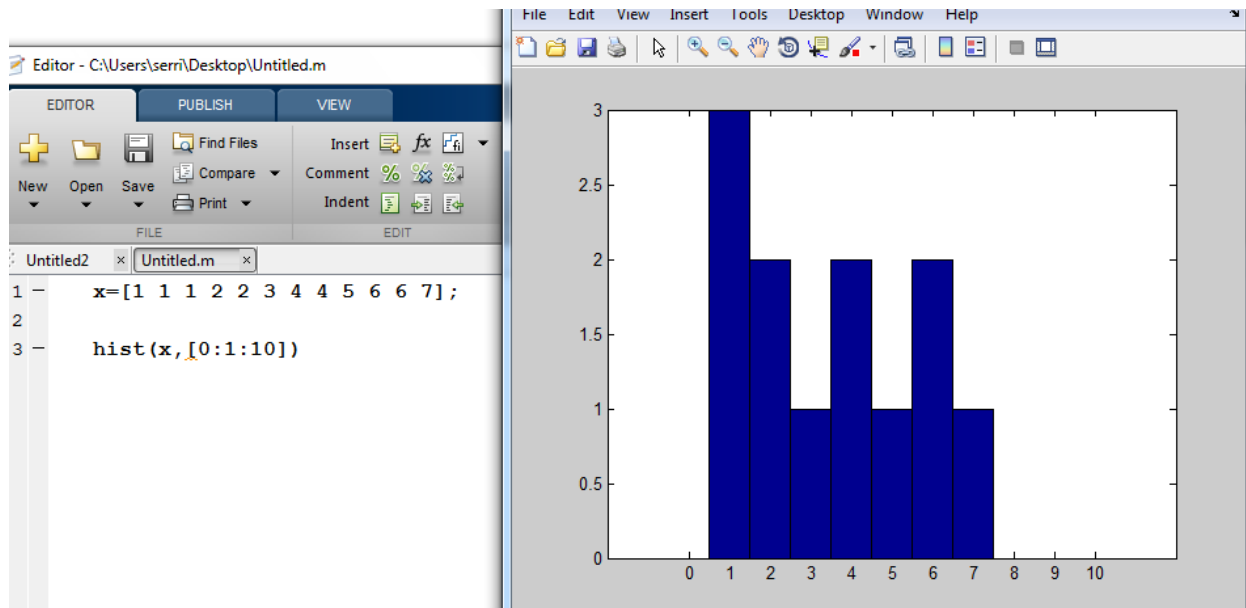
EX10\ [1 1 1 2 2 3 4 4 5].in histograms. shown fig(15-16-17)



Fig(15)

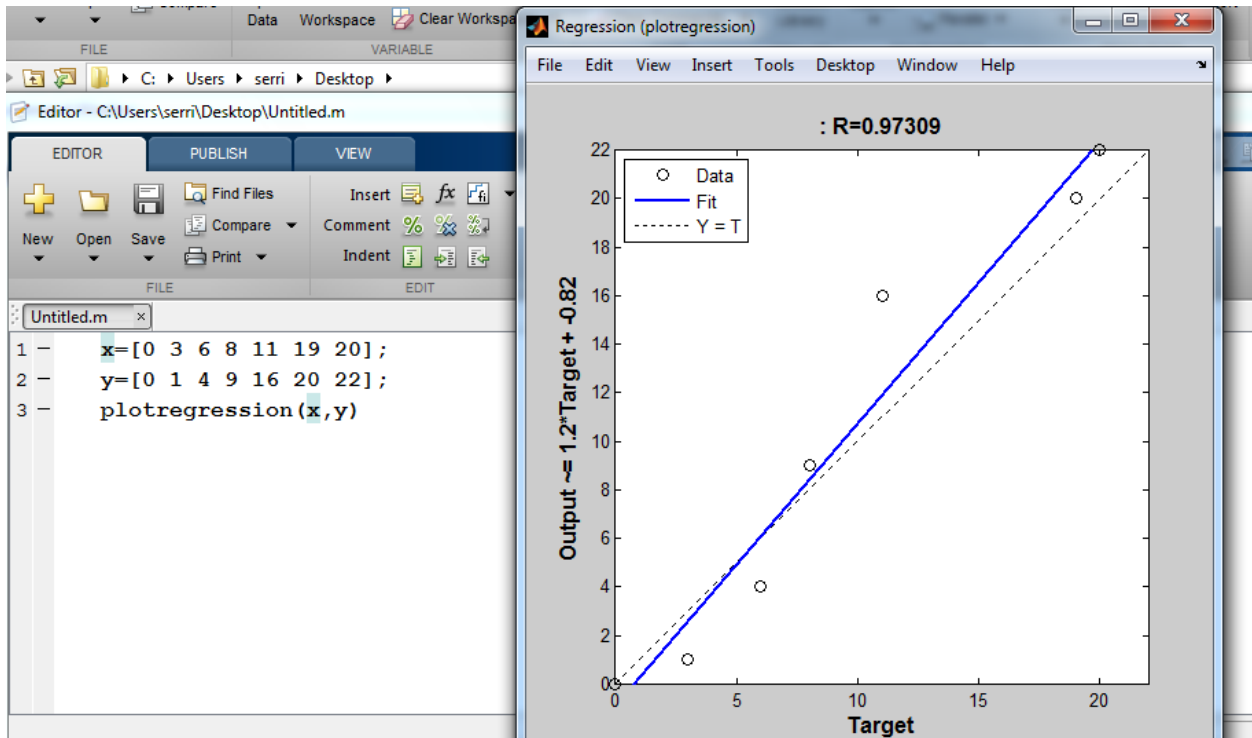


Fig(16)



Fig(17)

- Linear Regression
- EX11\ $x=[0\ 3\ 6\ 8\ 11\ 19\ 20]$, $y=[0\ 1\ 4\ 9\ 16\ 20\ 22]$.find Linear Regression plot.shown fig(18)



Fig(18)

- Condition statements
- 1- If.....end

```
If + Condition
Statement
End
```

Ex1\ use matlab cods which ask for input 'x',and solve,the fuction $y=x^2+\sqrt{x+9}$ result, if $x>5$.shown fig(1)

```

1 - x=input('enter the value of x: ');
2 - if (x > 5);
3 -     y=x^2+sqrt(x+9);
4 -     disp(y);
5 - end
6 - |

>> Untitled
enter the value of x: 4
>> 6

ans =

    6

fx >>

```

Fig(1)

- 2- If.....else.....end

```
If + Condition
Statement 1
Else
Statement 2
End
```

Ex2\ use mat lab cods which ask for input 'x',and solve, the function.
shown fig(2)

$$y = \begin{cases} x^2 + \sqrt{x+9} & x > 2 \\ x^2 & x \leq 2 \end{cases}$$

The screenshot shows the MATLAB environment. The Command Window on the left displays the execution of the code for two input values: 4 and 1.5. The Editor on the right shows the MATLAB script for the piecewise function.

```

Command Window
>> Untitled
enter the value of x: 4
    19.6056

>> Untitled
enter the value of x: 1.5
    2.2500

fx >>

Editor - C:\Users\serri\Desktop\Untitled.m
1 - x=input('enter the value of x: ');
2 - if (x > 2);
3 -     y=x^2+sqrt(x+9);
4 - else
5 -     y=x^2;
6 -
7 - end
8 - disp(y)
  
```

Fig(2)

3- If.....elseif.....else.....end

```

If + Condition1
Statement 1
Elseif +condition2
Statement 2
Else
Statement 3
End
  
```

Ex3\ use mat lab cods which ask for input 'x',and solve, the function. shown fig(3)

$$y = \begin{cases} x^2 + \sqrt{x+9} & x > 0 \\ x + 1 & x = 0 \\ x^2 & x < 0 \end{cases}$$

The screenshot shows the MATLAB Editor and Command Window. The Command Window displays the execution of the code for three different input values of x: 2, 0, and -2. The Editor shows the corresponding MATLAB code that implements the piecewise function defined in the equation above.

```

>> Untitled
enter the value of x: 2
    7.3166

>> Untitled
enter the value of x: 0
     1

>> Untitled
enter the value of x: -2
     4

fx >>

```

```

1 - x=input('enter the value of x: ');
2 - if (x > 0);
3 -     y=x^2+sqrt(x+9);
4 - elseif x==0;
5 -     y=x+1;
6 - else
7 -     y=x^2;
8 - end
9 - disp(y)

```

Fig(3)

Ex4\ write mat lab cods to compare between three input numbers. shown fig(4)

```

Script
Data Workspace Clear Wor
FILE VARIABLE
New Open Save Compare Comment % % %
Print Indent
FILE EDIT
NAVIGATE Breakpoints Run
BREAKPOINTS

Command Window
>> Untitled
enter a: 7
enter b: 2
enter c: 9
c is th biggest number
fx >>

Untitled.m
1 - a=input('enter a: ');
2 - b=input('enter b: ');
3 - c=input('enter c: ');
4 - if a > b
5 -     if a>c
6 -         disp('a is th biggest number')
7 -     else
8 -         disp('c is th biggest number')
9 -     end
10
11 - elseif b>a
12 -     if b>c
13 -         disp('b is th biggest number')
14 -     else
15 -         disp('c is th biggest number')
16 -     end
17 - end

```

Fig(4)

4- Switch case statement

```

switch + Condition1
case 1 value
statement 1
case 2 value
Statement 2
Case 3 value
Statement 3
otherwise
End

```

Ex5\write a mat lab program which asks for input 'y' and determining if the input is even or odd numbers. shown fig(5)

```

FILE
C:\Users\serri\Desktop
Command Window
>>
>> Untitled
enter y: 4
y is even number
>> Untitled
enter y: 7
y is odd number
fx >>

Untitled.m* x
1 - y=input('enter y: ');
2 - switch mod(y,2)
3 -     case 0
4 -         disp('y is even number')
5 -     otherwise
6 -         disp('y is odd number')
7 -
8 - end

```

Fig(5)

Ex6\ write a mat lab program which asks for input 'y' (your grade) and determining . What is your assessment of the exam. shown fig(6)

```

FILE VARIABLE
C:\Users\serri\Desktop
Command Window
>> Untitled
enter your grade: 95
Excellence
>> Untitled
enter your grade: 85
very good
>> Untitled
enter your grade: 75
good
>> Untitled
enter your grade: 65
medium
>> Untitled
enter your grade: 55
Acceptable
>> Untitled
enter your grade: 45
fail
fx >>

Untitled.m x
1 - x=input('enter your grade: ');
2 - switch logical(x)
3 -     case x>=90
4 -         disp('Excellence')
5 -     case x>=80
6 -         disp('very good')
7 -     case x>=70
8 -         disp('good')
9 -     case x>=60
10 -        disp('medium')
11 -     case x>=50
12 -        disp('Acceptable')
13 -
14 -     otherwise
15 -        disp('fail')
16 -
17 - end

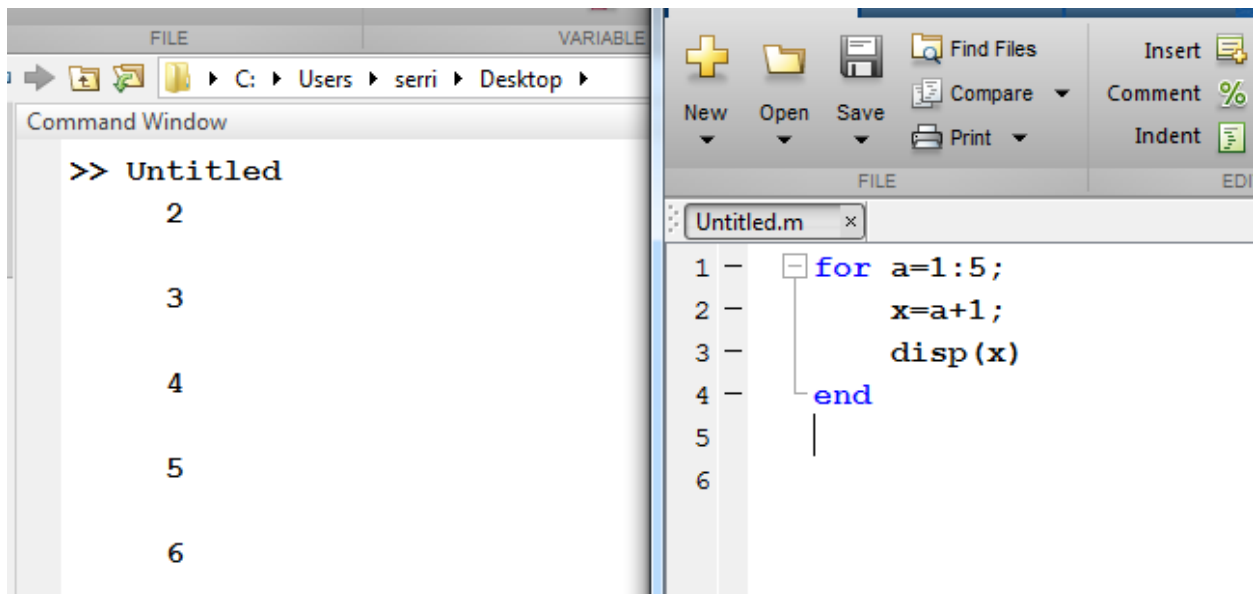
```

Fig(6)

- Loop function
- 1- For

```
For x= range  
Statement  
end
```

Ex7\ Enumerate x from 1 to 5. shown fig(7)



Fig(7)

Ex8\ write a matlab program that finds the sum of the first 25 numbers. shown fig(8)

The screenshot shows the MATLAB IDE with a script named 'Untitled.m' and its execution output in the Command Window. The script uses a for loop to calculate the sum of integers from 1 to 25. The output shows the result '325'.

```

1 - a=0;
2 - for n=1:25;
3 -     a=n+a;
4 - end
5 -     disp('the total sum is : ');
6 -     disp(a);
7 -
8 -
9 -

```

```

>> Untitled
the total sum is :
    325
fx >>

```

Fig(8)

2-while

While + logical expression
Statement
end

Ex9\ Enumerate x from 1 to 5.using while. shown fig(9)

The screenshot shows the MATLAB IDE with a script named 'Untitled.m' and its execution output in the Command Window. The script uses a while loop to enumerate the values of x from 1 to 5. The output shows the sequence of numbers '1', '2', '3', '4', and '5'.

```

1 - a=1;
2 - while a<6;
3 -     x=a;
4 -     disp(x)
5 -     a=a+1;
6 - end
7 -
8 -

```

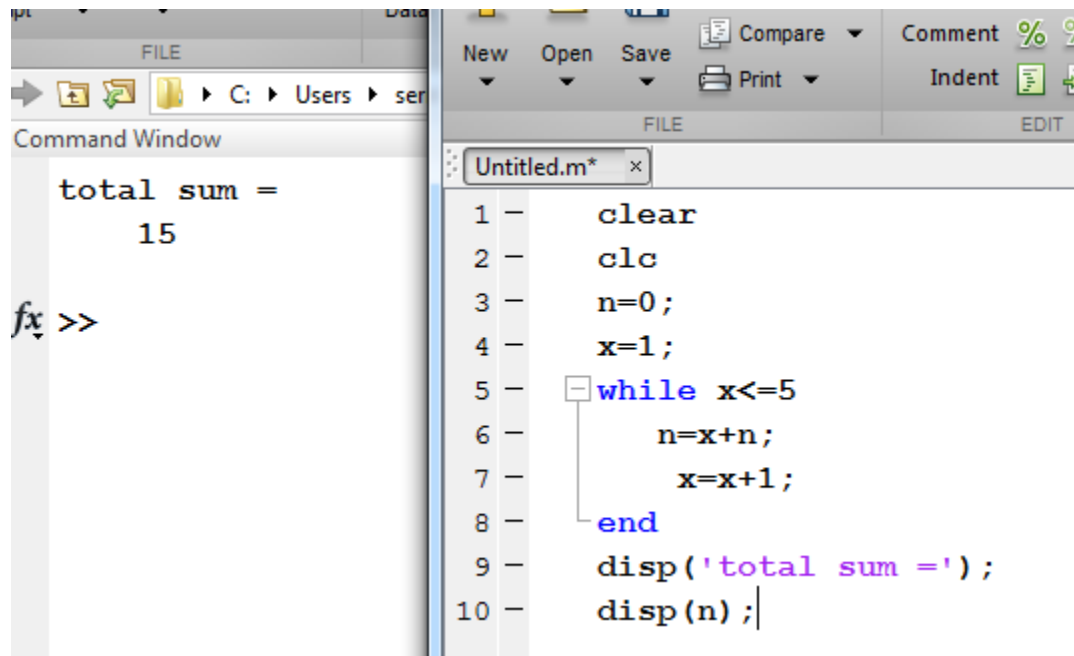
```

>> Untitled
1
2
3
4
5

```

Fig(9)

Ex10\ write a matlab program that finds the sum of the first 5 numbers.using while. shown fig(10)



```
1 - clear
2 - clc
3 - n=0;
4 - x=1;
5 - while x<=5
6 -     n=x+n;
7 -     x=x+1;
8 - end
9 - disp('total sum =');
10 - disp(n);
```

Command Window

```
total sum =
    15
```

fx >>

Fig(10)

- Symbolic Math Toolbox: is provides functions for solving, plotting, and manipulating symbolic math equations. You can create, run, The toolbox provides functions in common mathematical areas such as calculus, linear algebra, algebraic and ordinary differential equations, equation simplification, and equation manipulation.

Ex1\ write the function x^3+5 , Symbolic Math Toolbox.

Command Window

```
>> syms x
```

```
>> f=x^3+5
```

```
f =
```

```
x^3 + 5
```

Ex2\ Differentiate the function x^3+5 , and find second Derivative

```
Command Window
>> syms x
>> f=x^3+5

f =

x^3 + 5

>> diff(f)

ans =

3*x^2
```

```
>> syms x
>> f=x^3+5;
>> d=diff(f);
>> diff(d)

ans =

6*x
```

or

```
>> syms x
>> f=x^3+5;
>> diff(f,2)

ans =

6*x
```

ex\ Differentiate the function x^2*y^2 , for x , y , and second derivative for y

Command Window

```
>> syms x y  
>> f=x^2*y^2
```

```
f =
```

```
x^2*y^2
```

```
>> d=diff(f)
```

```
d =
```

```
2*x*y^2
```

```
>> k=diff(f,y)
```

```
k =
```

```
2*x^2*y
```

```
>> syms x y
```

```
>> f=x^2*y^2;
```

```
>> k=diff(f,y,2)
```

```
k =
```

```
2*x^2
```

- Partial differentiation

```
>> syms x y
```

```
>> f=x^2*y^2;
```

```
>> k=diff(f,x)
```

```
k =
```

```
2*x*y^2
```

```
>> diff(k,y)
```

```
ans =
```

```
4*x*y
```

- Integration

Ex\ find Integration for x^2

```
>> syms x
>> f=x^2;
>> k=int(f)

k =

x^3/3
```

Limited integration

Ex\ find Integration for $\int_0^1 x^2$

```
>> syms x
>> f=x^2;
>> k=int(f,x,0,1)

k =

1/3
```

Ex\ find Integration for x^2+y^2

```
>> syms x y
>> f=x^2+y^2;
>> d=int(f,y)
```

```
d =

x^2*y + y^3/3
```

```
>> syms x y
>> f=x^2+y^2;
>> d=int(f,x)
```

```
d =

x^3/3 + x*y^2
```

- Substute

Ex\ find the x^2+y^2 if $(x=2)$,and $(y=3)$, (integration x and sbus $x=2,y=3$) , $(x=1,2,3,4)$

```
>> syms x y
>> f=x^2+y^2;
>> h=subs(f,x,2)

h =

y^2 + 4

>> subs(h,y,3)

ans =

13
```

```
>> syms x y
>> f=x^2+y^2;
>> k=int(f,x)

k =

x^3/3 + x*y^2

>> subs(f,{x,y},{2,3})

ans =

13
```

```
>> syms x y
>> f=x^2+y^2;
>> subs(f,x,1:4)

ans =

[ y^2 + 1, y^2 + 4, y^2 + 9, y^2 + 16]
```

- Solve Fourier series in matlab

$$a_0 + \sum (a_n \cos(nx) + b_n \sin(nx))$$

$$\left\{ \begin{array}{l} a_0 = \frac{1}{2\pi} \int_{-\pi}^{\pi} f(x) dx, \\ a_n = \frac{1}{\pi} \int_{-\pi}^{\pi} f(x) \cos(nx) dx, \quad 1 \leq n \\ b_n = \frac{1}{\pi} \int_{-\pi}^{\pi} f(x) \sin(nx) dx, \quad 1 \leq n. \end{array} \right.$$

Ex\find Fourier series in matlab for

$$f(x) = \begin{cases} \cos x & 0 < x < \pi \\ 0 & \pi < x < 2\pi \end{cases}$$

```
>> syms x n
>> d=cos(x);
>> h=0;
>> a0=(1/2*pi)*(int(d,x,0,pi)+int(h,x,pi,2*pi))

a0 =

0
```



```
>> syms x n
>> d=cos(x);
>> n=1:3;
>> (1/pi)*(int(d*cos(n*x),x,0,pi))

ans =

[ (5734161139222659*pi)/36028797018963968, 0, 0]

>> (5734161139222659*pi)/36028797018963968

ans =

    0.5000
```

```
>> syms x n
>> d=cos(x);
>> n=1:3;
>> (1/pi)*(int(d*sin(n*x),x,0,pi))

ans =

[ 0, 1911387046407553/4503599627370496, 0]

>> 1911387046407553/4503599627370496

ans =

    0.4244
```

*Laplace transform

Ex\find laplace $5t, \sin 5t + e^{-8t}$

```
>> syms t
>> f=5*t;
>> laplace(f)
```

ans =

$5/s^2$

```
>> syms t
>> f=sin(5*t)+exp(-8*t);
>> laplace(f)
```

ans =

$1/(s + 8) + 5/(s^2 + 25)$

- Inverse laplace

Ex\find ilaplace $5/s^2, \frac{1}{s+8} + \frac{5}{s^2+25}$

```
>> syms s
>> f=5/s^2;
>> ilaplace(f)
```

ans =

$5*t$

```
>> syms s
>> f=(1/(s+8))+(5/(s^2 +25));
>> ilaplace(f)

ans =

exp(-8*t) + sin(5*t)
```